Intrdocution Frédéric Hourdin

LMDZ : a general circulation model

- **1. General Circulation Models**
- 2. LMDZ
- 3. Splitting/coupling and modularity
- 4. Operating modes

The world of numerical models



Mathematics constitute a common language

Modeling concerns all the layers

Always try to make links with the upper layers

At same time, you must be aware of the layer in which you are working, or at which transition between layers.

Do not forget that your goal is to explain things in the first layer.

The « layers » in LMDZ :

Apearances :

 \rightarrow Meteorology, climate, atmospheric composition

Theories :

- \rightarrow Fluid mechanics
- \rightarrow Gaz/radiation interaction
- \rightarrow Phase changes/ Thermodynamics
- \rightarrow Chemistry

Mathematics

- → Navier-Stokes (Primitive equations)
- \rightarrow Thermodynamical laws
- \rightarrow Radiative transfer

Numerics

- \rightarrow Grid point discretisation
- \rightarrow Finite volume and finite differences
- \rightarrow Guaranty conservation of certain quantities, robustness, efficiency, rather than accuracy

Computers

- \rightarrow Fortran / Linux
- \rightarrow High Performance Computing
- \rightarrow Modularity
- \rightarrow Flexibility / Multi-configuration



Dynamical core : primitive equations discretized on the sphere

- Mass conservation
 - $D\rho/Dt + \rho \operatorname{div} \underline{U} = 0$
- Potential temperature conservation $D\theta/Dt = Q/Cp (p_0/p)^{\kappa}$
- Momentum conservation $D\underline{U}/Dt + (1/\rho) \operatorname{grad} p - g + 2 \underline{\Omega} \wedge \underline{U} = \underline{F}$
- Secondary components conservation Dq/Dt = Sq

Primitive equations of meteorology

- \rightarrow Thin layer approximation
- \rightarrow Hydrostatic approximation (valid down to 10-20 km)

From physics to numerics :

- \rightarrow Finite volume and finite differences
- \rightarrow Explicit resolution down to 30-300 km depending of the configuration
- \rightarrow Numerical conservation of important quantities (mass, water, enstrophy ...).



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Parameterizations purpose : account for the effect of processes non resolved by the dynamical core

- \rightarrow Traditional « source » terms in the equations
- Q : Heating by radiative exchanges, thermal conduction (neglected), condensation, sublimation, subgrid-scale motions (turbulence, clouds, convection)
- <u>*E*</u>: Molecular viscosity (neglected), **subgrid-scale motions (turbulence, clouds, convection)**
- Sq : condensation/sublimation (q= water vapor or condensed), chemical reactions, photodissociation (ozone, chemical species), micro physics and scavenging (pollution aerosols, dust, ...), subgrid-scale motions (turbulence, clouds, convection)

Parameterizations : principles





- Compute the average effect of unresolved processes on the global model state variables ($\underline{\textit{U}}, \theta, q$)
- Based on a description of the approximate collective behavior of processes
- Involve additional **parameterization internal variables** (cloud characteristics, standard deviation of the sub-grid scale distribution of a variable, ...)
- Derive equations relating internal variables to the state variables \underline{U}, θ, q at time t \rightarrow internal variables $\rightarrow \underline{F}, Q, Sq \rightarrow \underline{U}, \theta, q$ at t+ δt
- Homogeneity hypothesis (statistical) on the horizontal of the targeted processes (like in the plane-parallel approximation of radiative transfer)
 → 1-dimensional equations in z (vertical exchanges only)
- \rightarrow Independent atmospheric column

Inside an « atmospheric column » ...



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Dq/Dt = Sq

The LMDZ dynamical core :

- \rightarrow Global longitude-latitude grid
- \rightarrow Zoom capability (« Z » of « LMDZ »)
- \rightarrow Finite difference / finite volume numerical schemes
- \rightarrow Conservation of air mass, enstrophy, partly angular momentum and energy
- \rightarrow Positive/monotonic/conservative Van Leer schemes for tracer advection
- \rightarrow Horizontal dissipation (stability + scale interaction) : iterated Laplacian
- \rightarrow Sponge layer (dumping winds and wave in the upper layers)

Planetary atmospheres Mars, Titan, Venus, Triton, ...

Prediction of Titan atmospheric super-rotation with the LMDZ Titan GCM (1995, 2005) An a posteriori comparison with The Huygens entry profile 300 -Wind estimated from

²⁷⁰ The Doppler effect 240 On the radio signal from

The probe

210 -

180





« Physique terrestre »

Un nouveau cadre de travail et développement des paramétrisations Choix de séparer trois échelles pour le transport vertical : turbulence / structures organisées / convection profonde



→ Couvreux, F., F. Hourdin, and C. Rio, **2010**, Resolved Versus Parametrized Boundary-Layer Plumes. Part I: A Parametrization-Oriented Conditional Sampling in Large-Eddy Simulations, Boundary-layer Meteorol., 134, 441–458, 2010.

→ Grandpeix, J., and J. Lafore, **2010**, A Density Current Parameterization Coupled with Emanuel's Convection Scheme. Part I: The Models, Journal of Atmospheric Sciences, 67, 881–897, 2010.

→ Grandpeix, J. Y., V. Phillips, and R. Tailleux, 2004, Improved mixing representation in Emanuel's convection scheme, Q. J. R. Meteorol. Soc., 130, 3207–3222, 2004.

→ Grandpeix, J., J. Lafore 2010, A Density Current Parameterization Coupled with Emanuel's Convection Scheme. Part I Journal of Atmospheric Sciences, 67, 898–922, 2010.

→ Grandpeix, J., J. Lafore, and F. Cheruy, 2010, A Density Current Parameterization Coupled with Emanuel's Convection Scheme. Part II: 1D Simulations, Journal of Atmospheric Sciences, 67, 898–922, **2010**.

→ Hourdin, F., F. Couvreux, and L. Menut, **2002**, Parameterisation of the dry convective boundary layer based on a mass flux representation of thermals, J. Atmos. Sci., 59, 1105–1123, 2002.

→ Hourdin, F., I. Musat, S. Bony, P. Braconnot, F. Codron, J.-L. Dufresne, L. Fairhead, M.-A. Filiberti, P. Friedlingstein, J.-Y. Grandpeix, G. Krinner, P. Levan, Z.-X. Li, and F. Lott, **2006**, The LMDZ4 general circulation model: climate performance and sensitivity to parametrized physics with emphasis on tropical convection, Climate Dynamics, 27, 787–813, 2006.

→ Hourdin, F., J.-Y. Grandpeix, C. Rio, S. Bony, A. Jam, F. Cheruy, N. Rochetin, L. Fairhead, A. Idelkadi, I. Musat, J.-L. Dufresne, A. Lahellec, M.-P. Lefebvre, and R. Roehrig, April 2012, LMDZ5B: the atmospheric component of the IPSL climate model with revisited parameterizations for clouds and convection, Clim. Dyn., 79, April 2012.

→ Jam, A., F. Hourdin, C. Rio, and F. Couvreux, Resolved versus parametrized boundary-layer plumes. part iii: A diagnostic boundary-layer cloud parameterization derived from large eddy simulations, accepted in BLM, **2013**.

 \rightarrow Rio, C., and F. Hourdin, 2008, A thermal plume model for the convective boundary layer : Representation of cumulus clouds, J. Atmos. Sci., 65, 407–425, 2008.

→ Rio, C., F. Hourdin, J. Grandpeix, and J. Lafore, 2009, Shifting the diurnal cycle of parameterized deep convection over land, Geophys. Res. Lett., 36, 7809–+, 2009.

→ Rio, C., F. Hourdin, F. Couvreux, and A. Jam, **2010**, Resolved Versus Parametrized Boundary-Layer Plumes. Part II: Continuous Formulations of Mixing Rates for Mass-Flux Schemes, Boundary-layer Meteorol., 135, 469–483, 2010.

 \rightarrow Rio et al., **2012** : closure revisited

LMDZ – a brief history

Pioneers : years 60-70. Robert Sadourny and Phu Le Van (Sadourny, 1975)

The LMD5/LMD6 model : 90-95 (Laval, 1981)

1985 : Rewriting of the dynamical core : modularity and zoom (the previous version had been written over punch cards with a very small RAM memory)

1990 : versions for Mars, Titan, and a generic 20-parameter version

1992 : decision to develop the terrestrial model on the basis of this new dynamical core, by adapting the physical package of LMD5/6

1995-1999 : transport of trace species

2005 : First participation to CMIP exercise with LMDZ

2007 : rising organization around LMDZ (web, regular meetings, Svn, training, ...)

2011 : "New Physics" version (result of a 10-year research) and participation to CMIP5

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Climate modeling / numerical weather forecast

- Models : identical.
- Duration : several decades or centuries / 15 days (seasonal forecast in between)
- Initial state : any (existence of an attractor : the climate) / "analysis" obtained through an assimilation procedure of observations into the model.
- Forecast : statistical (ex : inter-annual variability, intensity of storms ...) / deterministic (the weather of tomorrow).





(IPCC Scenario SRESA2, IPSL coupled model)



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Simulation of the surface concentration of radon* with LMDZ, nudged by ECMWF winds, with a refined grid over Europe (40x40 km2)

