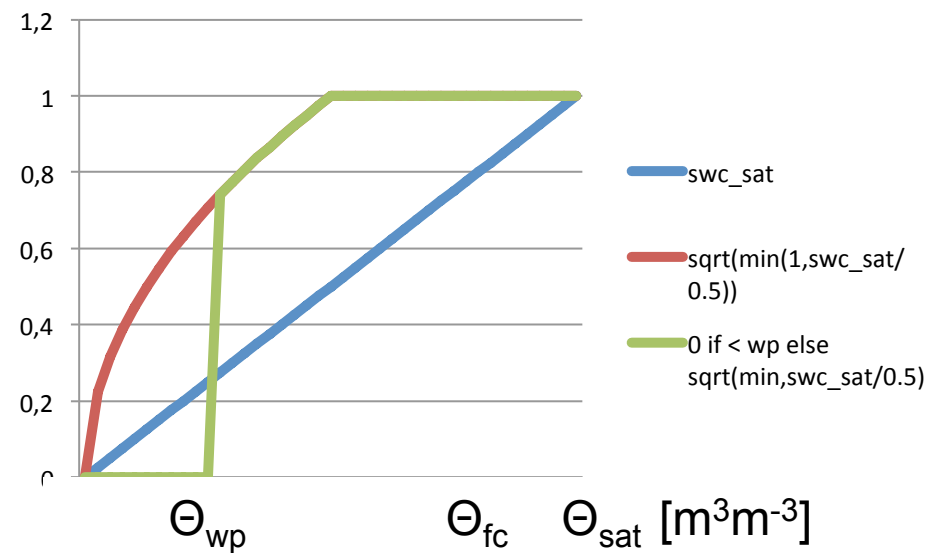


# Impact of the soil humidity on transpiration

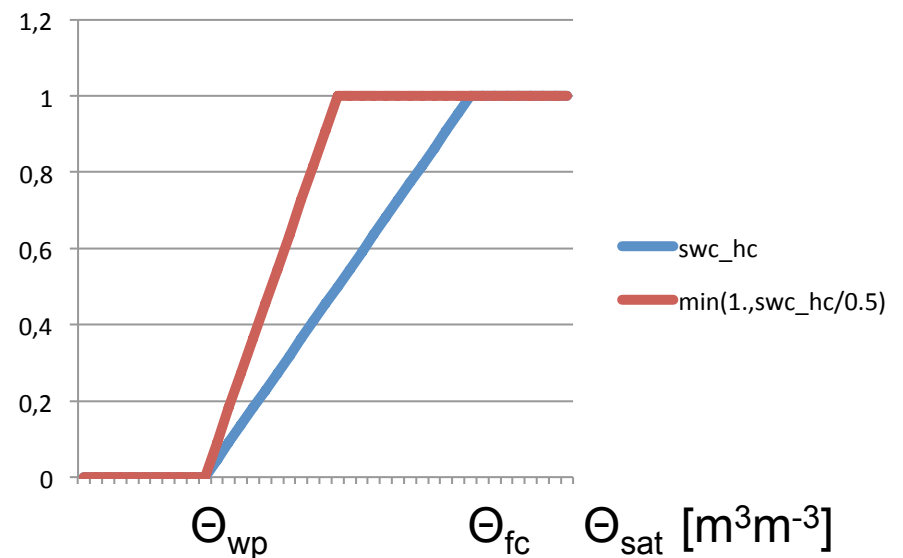
## • Computation 1

F<sup>n</sup> of the swc rel. to [ $\Theta_{res}$ ;  $\Theta_{sat}$ ]: swc\_sat



## • Computation 2

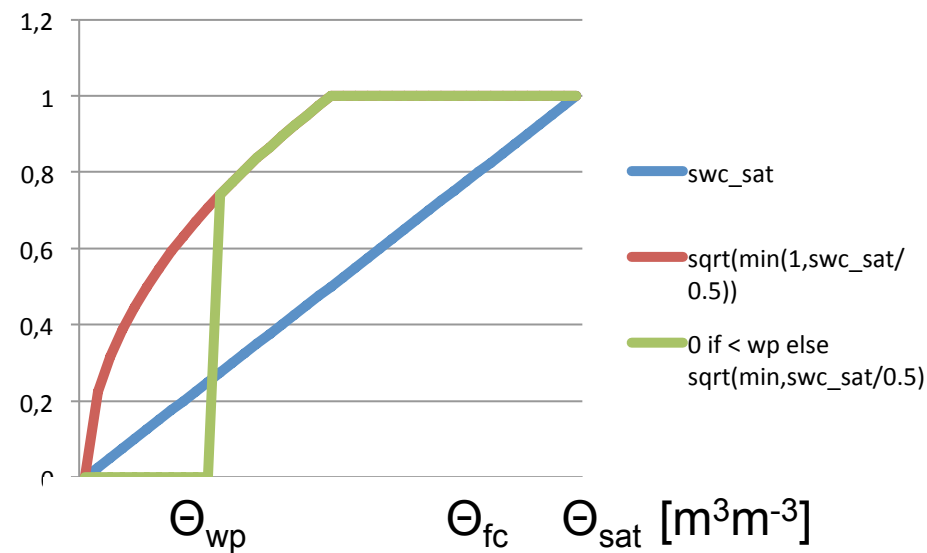
F<sup>n</sup> of the swc rel. to [ $\Theta_{wp}$ ;  $\Theta_{fc}$ ]: swc\_hc



# Impact of the soil humidity on transpiration

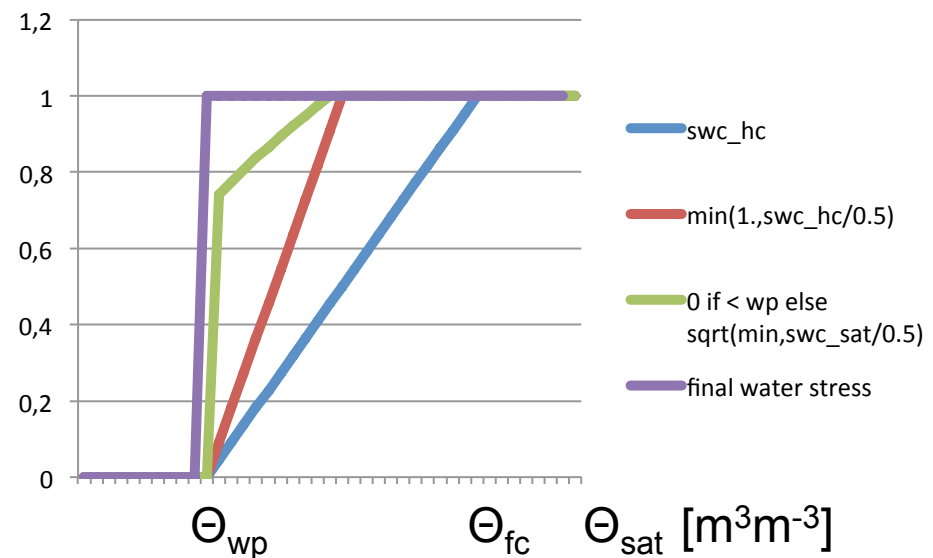
## • Computation 1

F<sup>n</sup> of the swc rel. to [ $\Theta_{res}$ ;  $\Theta_{sat}$ ]: swc\_sat



## • Computation 2

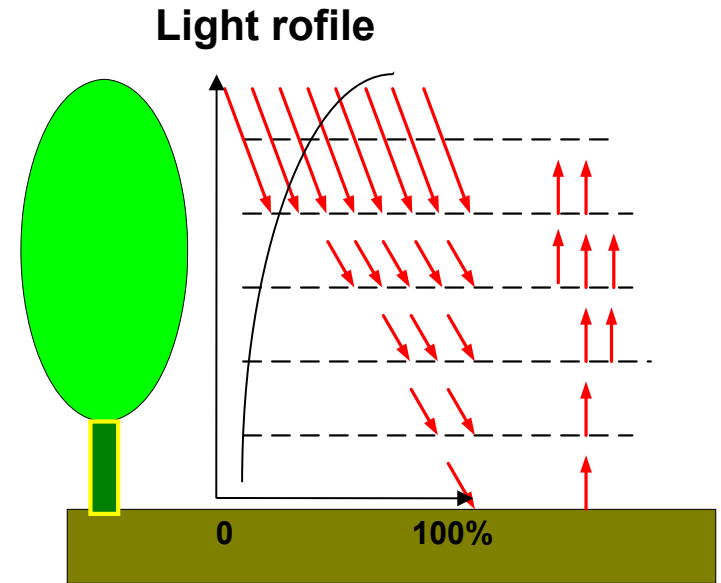
F<sup>n</sup> of the swc rel. to [ $\Theta_{wp}$ ;  $\Theta_{fc}$ ]: swv\_hc



# Bare soil fraction & albedo

- Fraction of incident radiation at the soil surface = transmitted fraction below the canopy

$$f_{soil} = \exp(-kLAI)$$



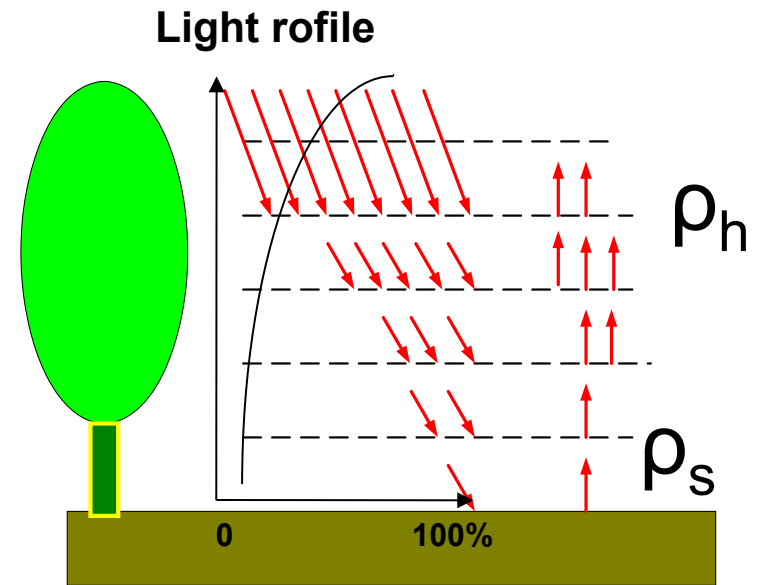
Hypothesis :

- black leaves
- Spherical leaf angle distribution

# Bare soil fraction & albedo

- Could be defined on a absorbed radiation basis (Net radiation)

$P_{\text{eff}}$  effective reflection coefficient of soil-canopy system



$$\rho_{\text{eff}} = \frac{(\rho_s \rho_h - 1)\exp(K.LAI) + (1 - \rho_s/\rho_h)\exp(-K.LAI)}{\left(\rho_s - \frac{1}{\rho_h}\right)\exp(K.LAI) + (\rho_h - \rho_s)\exp(-K.LAI)}$$

*From Goudriaan, 1977*

Hypothesis :

- Horizontal leaves

# Bare soil fraction & albedo

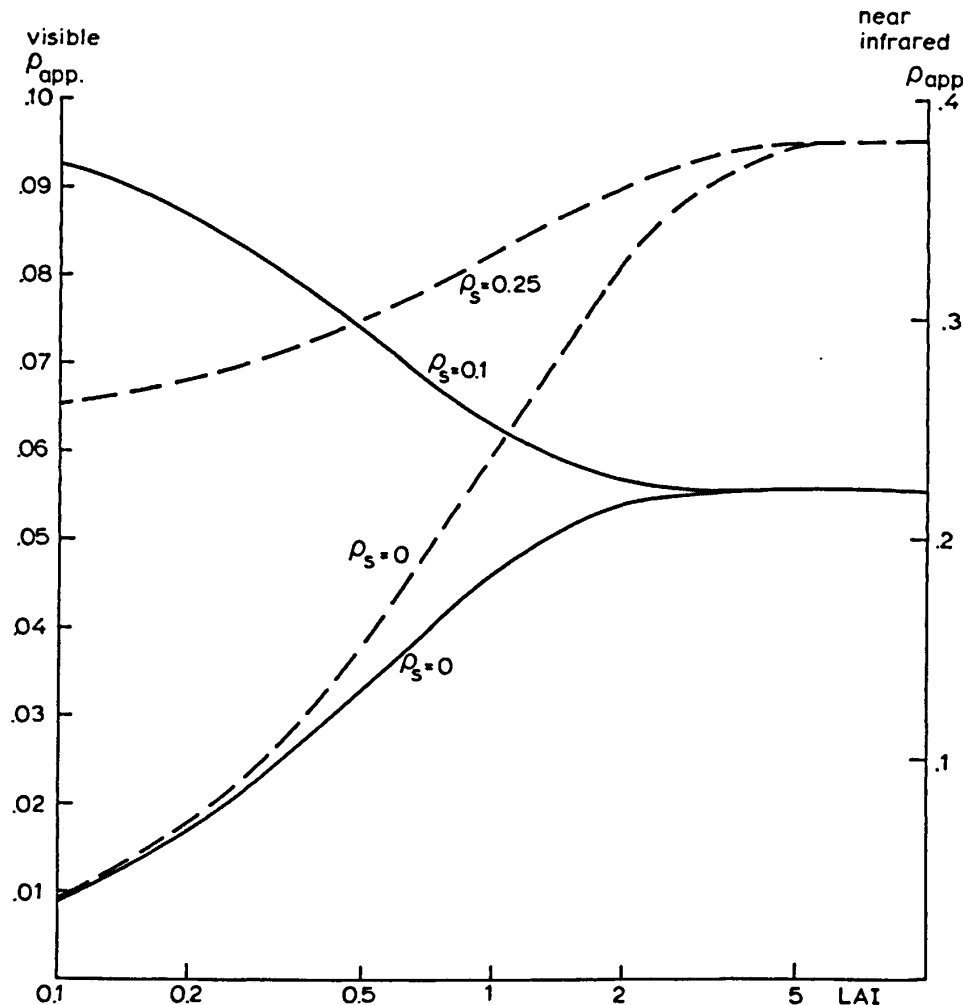
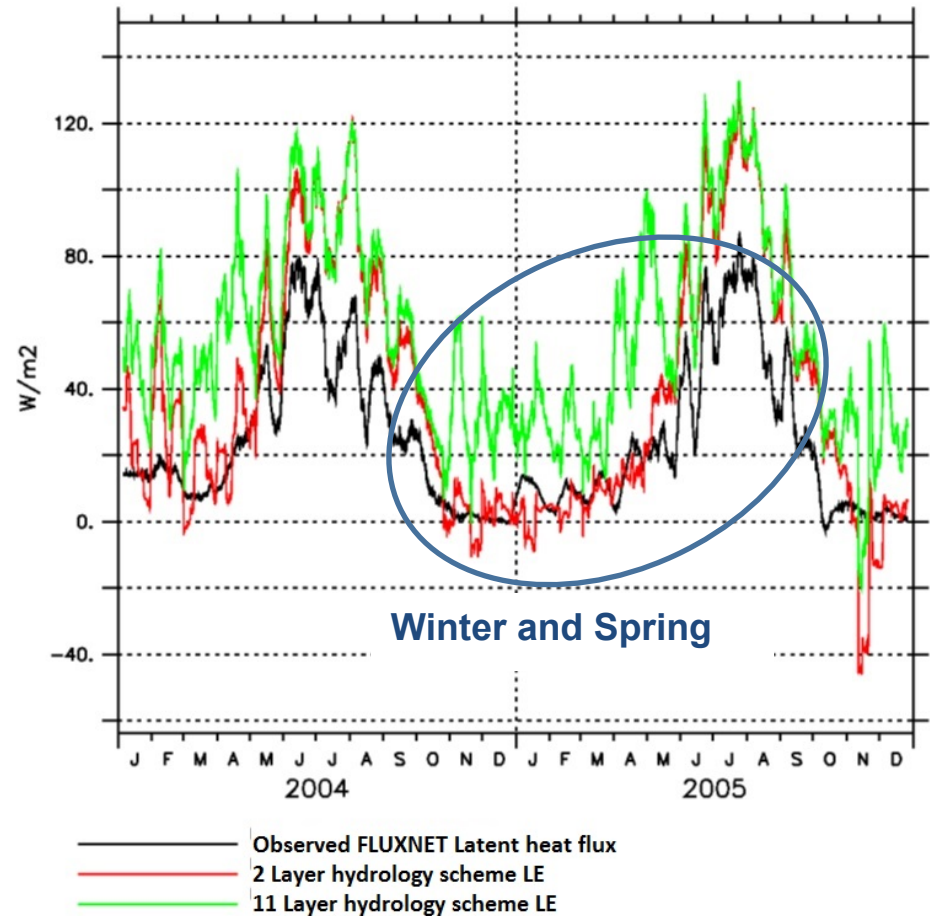


Fig. 3 | Apparent reflection coefficient of the canopy-soil system as function of the leaf area index for two values of the soil reflectance  $\rho_s$ . For the visible region (solid lines) the values are indicated on the left ordinate and for the near-infrared region (broken lines) on the right ordinate.

*From Goudriaan, 1977*

# Bias on evaporation

- Shifting from the 2-layer hydrological scheme to the 11-layer one increases latent heat flux for some PFT's
  - That is due to the evaporative component
  - It acts at winter time for deciduous trees when no canopy coverage



US-Bar - Temperate deciduous forest  
Servettaz, 2014 (L3 report)

# 2-layer : soil resistance to BSE

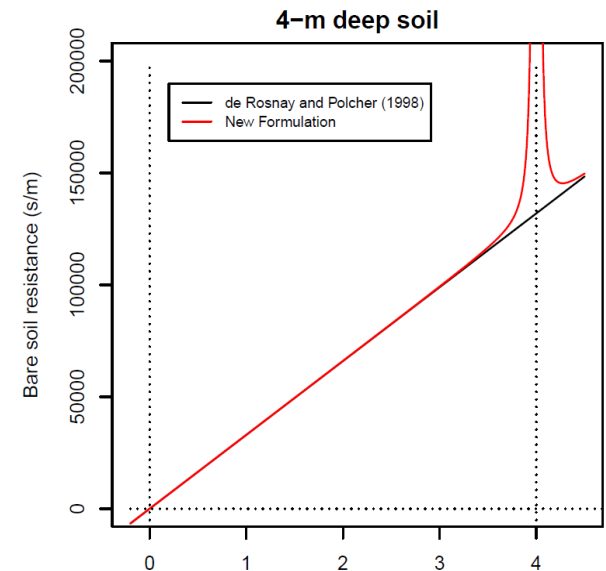
- $r_{\text{sol}}$  is the main control of water stress onto bare soil evaporation

$$E_{\text{sol}} = \rho U_s \frac{q_{\text{sat}}(T_s) - q_{\text{air}}}{r_a + r_{\text{sol}}}$$

- $r_{\text{sol}}$  depends on the dry soil height of **PFT 1**

$$r_{\text{sol}} = r_{\text{sol}}^{\text{m}} \left( h_{\text{dry}} + \frac{1}{100(h_{\text{tot}} - h_{\text{dry}})^2} \right)$$

1 cm of dry soil exerts  $r_{\text{sol}} = 330 \text{ s/m}$

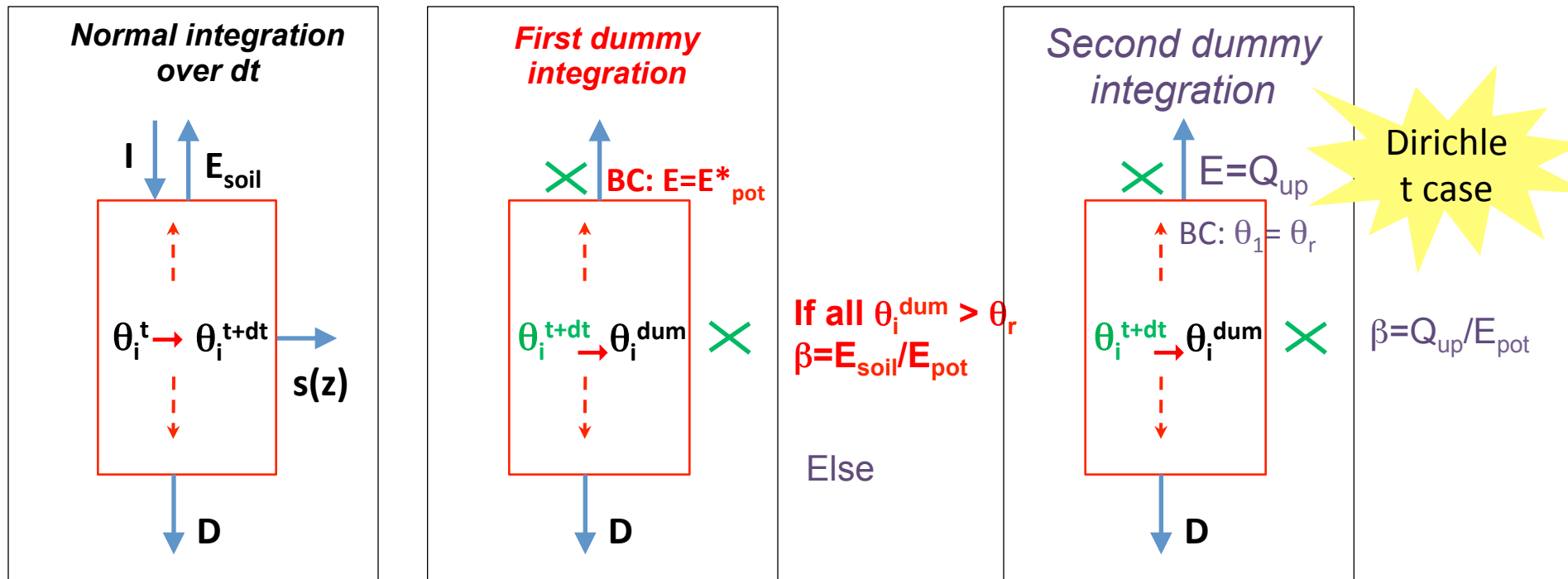


# 11-layer: demand/supply approach

- The principle is that soil evaporation follows a supply/demand approach

$$E_{soil} = \min(E_{pot}^*, Q_{up})$$

- In practice, this relies on dummy integrations of the water diffusion scheme





# Work on $E_{\text{pot}}$ via the $r_{\text{aerodynamic}}$

$$E_{\text{pot}} = \rho \frac{q_{\text{sat}}(T_s) - q_{\text{air}}}{r_a} \quad r_a = \frac{1}{\kappa^2 u_a} \left[ \ln \left( \frac{z - d_0}{z_{0m}} \right) \ln \left( \frac{z - d_0}{z_{0v}} \right) \right]$$

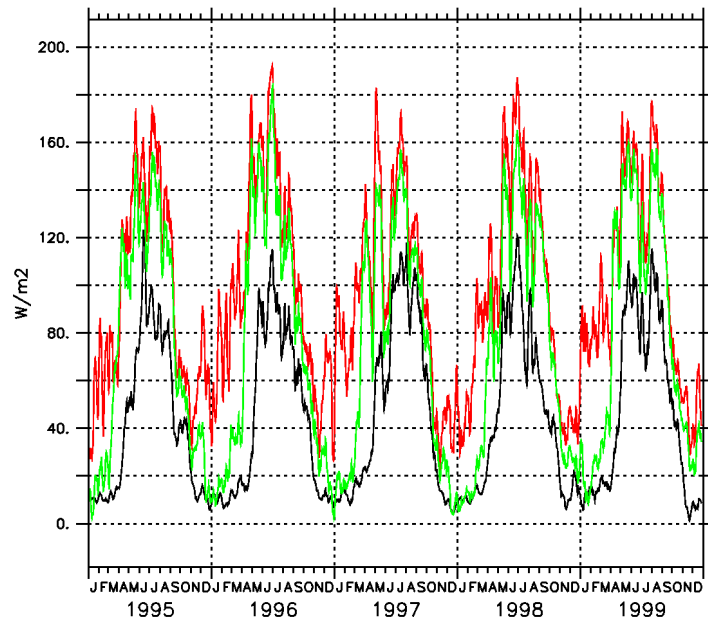
where

- $z$  is measurement height (m)
- $u_a$  is wind speed ( $\text{ms}^{-1}$ )
- $\kappa$  von Karman's constant
- $d_0$  is displacement height
- $z_{0m}$  and  $z_{0v}$  the roughness heights for momentum and water vapor transfer

*⇒ One assumes that the trunk and the branches impact as a full canopy coverage on  $z_0$*

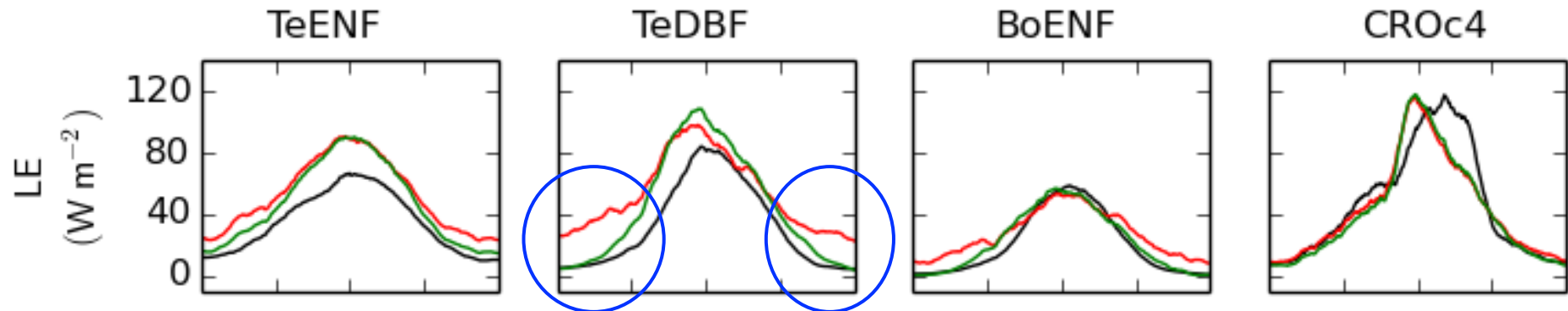
- Search for literature supporting that  $z_0$  varies with LAI : Ershadi et al. (2015) uses the formulation of Su et al. (2001)

# Evaluation at site level



— OBS  
— 11-layer  
— 11-layer with Su

**Latent Heat flux @ Walker Branch site (TeDBF)**



# Offline simulation over the Mississippi basin (1999-2008)

Su's parametrization in ORCHIDEE (1999-2008):

- ET decreases during winter and early spring => better agreement with the global ET products
- Mean annual river discharge at Vicksburg increases by 11%.
  - 8 % of bias reduction

